**First-principles study of fcc-Ag/bcc-Fe interfaces**

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**I. INTRODUCTION**

Heterophase interfaces between face-centered-cubic (fcc) and body-centered-cubic (bcc) phases exist in many important alloys, such as Fe-Cu, Fe-Ni, Fe-Ag, Ni-Cr, Cu-Cr, or duplex stainless steels. The interfacial properties are very important, for example, when studying the precipitate growth kinetics and interface strengthening or failure mechanisms. It has been shown that the interfacial energy is a key parameter determining the nucleation barrier and also the shapes of precipitates. However, the interfacial energy is often not experimentally accessible. Due to the lack of measured data, *ab initio* calculations have been extensively applied to determine the metal-ceramic interfacial energy. However, for the metallic fcc/bcc interface theoretical studies are very limited.

Experimental work has shown that during nucleation and in the early stage of growth, precipitates usually match the matrix coherently, which minimizes the interfacial energy. They may lose coherency during continued growth when the elastic strain energy contribution to the total free energy of the system becomes dominant. Formation of line defects, such as misfit dislocations and structure ledges, within the interface relieves misfit stress at the expense of increasing interfacial energy. By introducing the structure ledges, the interfacial coherency can be significantly increased.

The coherent interface can be investigated by methods based on density functional theory (DFT), however, without considering the lattice mismatch or lattice relaxation. To model a realistic interface with mismatch (semicoherent interface) requires very large supercells which are normally beyond the capacities of nowadays DFT methods.

The interface properties of a semicoherent interface, such as interfacial energy or work of separation, may be divided into two parts: the properties of the ideal coherent interface (chemical contribution) and a correction term representing the contribution from the misfit dislocations or structure ledges (structure contribution). Some hybrid methods have been proposed to study the semicoherent interfaces. First, DFT calculations are performed to calculate the properties of the coherent interface. Then, based on the DFT results, embedded-atom methods (EAM) or continuum theory are adopted to evaluate the correction term induced by the presence of misfit dislocations. Using this methodology, various interfaces between metal and carbide, oxide, or intermetallics have been extensively investigated. For example, for the NiAl/Mo interface with ∼9% mismatch, using a simple equation from the continuum theory, the presence of the misfit dislocation arrays was estimated to reduce the work of separation of the coherent interface from DFT calculations by about 10%, which may, however, depend on the characteristics of the misfit dislocations. Based on *ab initio* calculations, Medvedeva *et al.* showed that the misfit dislocation within the Peierls-Nabarro model may decrease the work of separation of the NiAl/Mo interface by ∼35%. Since the error introduced by the continuum theory is difficult to estimate, it is important to define the upper and lower bounds of the excess energy of realistic semicoherent interfaces.

The embedded-atom method may seem to be an optimal choice to perform large-scale atomistic simulations for interfaces. However, a major impediment to those applications is the lack of reliable interatomic potentials for many materials. It is further argued that the EAM potentials are less reliable for bcc metals in which the interatomic forces include an angle-dependent component, compared to those for fcc metals. A good and consistent agreement in the description of the coherent interfaces (e.g., work of separation...
and interfacial energy) using the EAM potentials and DFT calculations would add more reliability for further applications of the EAM potentials to semicoherent or incoherent interfaces.\textsuperscript{15,20}

In the present work, without trying to establish the exact physical parameters for semicoherent interfaces containing line defects, we perform first-principles calculations of the coherent and semicoherent interfaces to determine the work of separation and the excess interfacial energy. The information for the coherent interface itself is very important. For example, first-principles interfacial energy can be incorporated into the phase-field simulations to provide quantitative results which are comparable with experimental data (i.e., the equilibrium morphology of precipitate).\textsuperscript{21} Starting from the results obtained for the coherent interfaces, we estimate the work of separation and interfacial energy of the commensurate coherent and semicoherent interfaces, respectively, which may be used to assess results based on the EAM potentials or continuum methods.

Here we consider the Fe/Ag interface as a model interface. Due to the immiscibility between Fe and Ag, the Fe/Ag interfaces exist in various Fe-Ag systems, for example, Fe/Ag multilayers and Fe/Ag core/shell nanoparticles. The Fe/Ag multilayers show giant magnetoresistance and perpendicular magnetic anisotropy and have been extensively studied for many years.\textsuperscript{24} Recently, there is increasing interest in the Fe/Ag core/shell nanoparticles possessing unusual magnetic and optical properties with potential applications.\textsuperscript{25,26} The knowledge of the interfacial energy is important for the nanoparticle growth. In the present work, two types of Fe/Ag shape interface are considered, the Fe(001)/Ag(001) and the Fe(110)/Ag(111) interfaces. However, we would like to emphasize the methodology we develop here to define the upper and lower bounds of the interfacial energy and work of separation of the semicoherent interfaces. The proposed approach may be generalized and applied to other metallic fcc/bcc interfaces.

The rest of this paper is arranged as follows: We describe the computational models of the two types of interfaces and the calculation details in Sec. II. The results are presented and discussed in Sec. III. In Sec. III A we present the calculated equilibrium surface energies. Our results for the work of separation and interfacial energy for the coherent Fe(001)/Ag(001) and Fe(110)/Ag(111) interfaces are presented in Sec. III B. Then we introduce an averaging scheme for estimating the work of separation and interfacial energy of a semicoherent/incoherent Fe(110)/Ag(111) interface in Sec. III C. Interface structure and magnetism are discussed in Sec. III D. The main findings are summarized in Sec. IV.

II. METHODOLOGY

A. Model for the Fe(001)/Ag(001) coherent interface

Experimentally, it is found that the Fe film grows on the Ag(001) surface as a bcc $\alpha$-Fe film rotated by 45° relative to the underlying lattice.\textsuperscript{27,28} The interface between Fe and Ag has the orientation relationship of Fe(100)//Ag(100) and [001]$_{\text{Fe}}$ $\parallel$ [110]$_{\text{Ag}}$. Similar cube-on-cube interface was also reported for the Fe(001)/Au(001) interface in the Fe/Au core/shell nanoparticles by Benoit.\textsuperscript{20} The Fe(001)/Ag(001) interface is modeled by a supercell containing $N$ layers of Fe(001) plane and 11 layers of Ag(001) plane using periodic boundary conditions. The Fe-Ag slabs are separated by a vacuum of thickness larger than 10 Å. A schematic sketch of the supercell is shown in Fig. 1(a). The number of layers for both Fe and Ag is carefully tested to reach good convergence, which will be presented in Sec. III B. We take Ag as the matrix of the system and the Fe lattice is distorted laterally to match the lattice of Ag substrate so as to achieve coherency. All atoms are allowed to relax in the direction perpendicular to the interface. The mismatch between Fe(001) and Ag(001) along the $[110]_{\text{Ag}}$ direction is defined as

$$\epsilon = (\sqrt{2} a_{\text{Fe}} - a_{\text{Ag}})/a_{\text{Ag}},$$

where $a_{\text{Fe}}$ and $a_{\text{Ag}}$ are the equilibrium lattice parameters of Fe and Ag. In the present work we calculate all mismatches relative to the underlying lattice. There are several high symmetry sites on the Ag(001) plane for the successive Fe atom to form the interface. These are the bcc site, bridge site, and top site, as depicted in Fig. 1(a). However, in the present study for the Fe(001)/Ag(001) interface, only the most stable coherent interface with interface Fe atoms sitting at the bcc sites is considered.

B. Model for the Fe(110)/Ag(111) coherent interface

In the thin film of Fe/Ag multilayers, it was reported that the interface is atomically sharp and follows the Nishiyma-Wasserman (NW) orientation relationship.\textsuperscript{30} As a first step to investigate the complicated Fe(110)/Ag(111) semicoherent interface, we start from the coherent Fe(110)/Ag(111) interface with the NW orientation relationship $[1\overline{1}0]_{\text{Ag}}$ $\parallel$ [001]$_{\text{Fe}}$. The interface is modeled by a supercell composed of nine layers of Ag(111) and $N$ layers of Fe(110). The thickness of vacuum separating the Fe(110)/Ag(111) slabs is set to more than 10 Å. Each layer has only one atom. The Fe lattice is laterally strained to fit the underlying Ag(111) lattice, namely, the Fe lattice is stretched by around 26.8% along the [110]$_{\text{Fe}}$ direction and by about 3.4% along the [001]$_{\text{Fe}}$ direction. Along the direction perpendicular to the interface, the Fe lattice keeps the bcc stacking sequence $abababa\ldots$ and the Ag lattice keeps the fcc stacking sequence $ABCA BCA B\ldots$ For the coherent Fe(110)/Ag(111) interface, we have the freedom to shift the Fe lattice against the Ag lattice on the interface plane. There are three inequivalent parallel translation states for the successive Fe atom at the interface, corresponding to three high-symmetry positions relative to the (111)Ag plane. They are termed as the fcc site, bridge site, and top site,\textsuperscript{22,23} as marked in Fig. 1(b). The convergence of the work of separation and interfacial energy with respect to the Fe layer was tested for these translation states, and results are presented in Sec. III B.

C. Work of separation and interfacial energy

The work of separation ($W$) is defined as the energy required per unit area to reversibly separate a bulk material into two semi-infinite bulks with two free surfaces. It is sometimes also
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Fe
Ag

1
2
3
4

1
2
3
4

1
2
3
4

1
2
3
4


100
110
001

<100> ||<110>
<110> ||<100>
<010> ||<110>

FIG. 1. (Color online) Schematic of the (a) Fe(001)/Ag(001) interface and the (b) Fe(110)/Ag(111) interface. The cross symbols mark the high-symmetry sites with respect to the Ag plane for the successive Fe atom at interface. The layers around the interface are indexed by numbers.

named as the “ideal work of separation.”

\[ W = \frac{E_{Fe} + E_{Ag} - E_{Fe/Ag}}{A}, \]  \hspace{1cm} (2)

where \( E_{Fe} \) and \( E_{Ag} \) are the total energies of the Fe and Ag slabs with free surfaces, respectively, \( E_{Fe/Ag} \) is the total energy of the Fe/Ag supercell slab embedded in vacuum, and \( A \) is the area of the interface. All systems were calculated under exactly the same conditions (\( k \) mesh, cutoff energy, etc.). They were all subject to the same lateral lattice strain set by the underlying lattice. Perpendicular to the interface, all the atoms were fully relaxed. The work of separation calculated in this manner gives direct information regarding the strength and bonding of the interface, and was taken as a measure for the mechanical stability and chemical bonding at the interface.

The interfacial energy \( \gamma \) is calculated as

\[ \gamma = \left( E'_{Fe/Ag} - E_{Fe} - E_{Ag} \right) / A, \]  \hspace{1cm} (3)

where \( E'_{Fe/Ag} = E_{Fe/Ag} - \sigma_{Fe} A - \sigma_{Ag} A \) is total energy of the Fe/Ag supercell corrected for the free surfaces of the Fe and Ag parts of the Fe/Ag supercell slab embedded in vacuum. \( E_{bulk}^{Fe} \), \( E_{bulk}^{Ag} \) correspond to the total energies of Fe and Ag in bulk states, and \( \sigma_{Fe} \) and \( \sigma_{Ag} \) are the surface energies of the free surfaces of the Fe and Ag slabs, respectively. All systems were subject to the same lateral strain imposed by the underlying lattice. The surface energies are also calculated relative to the bulk suffering the same strain as the interface,

\[ \sigma_{X} = \frac{E_{X} - E_{X}^{Bulk}}{2A}, \]  \hspace{1cm} (4)

where \( X \) stands for Fe or Ag. Combining Eqs. (2), (3), and (4), the interfacial energy can also be expressed as

\[ \gamma = \sigma_{Fe} + \sigma_{Ag} - W. \]  \hspace{1cm} (5)

Equation (5) presents the relationship between \( W \) and \( \gamma \), and expresses the fact that the interfacial energy varies essentially opposite to the work of separation.

D. Density functional theory method

The density functional theory calculations were performed by using the Vienna \emph{ab initio} simulation package (VASP) employing the Perdew-Burke-Ernzerhof (PBE)\footnote{PBE: Perdew, Burke, and Ernzerhof, Phys. Rev. Lett. 77, 3865 (1996).} generalized gradient approximation (GGA) for the exchange and correlation energy. The projector augmented-wave (PAW)\footnote{PAW: Kresse and Joubert, Phys. Rev. B 59, 1758 (1999).} method was applied. For both bulk and interface calculations the cutoff energies were set to 400 eV for both Fe and Ag. For the bulk calculations, a Monkhorst-Pack mesh of \( 21 \times 21 \times 1 \) \( k \) points was employed to sample the Brillouin zone. However, the \( \Gamma \)-centered grids of \( 21 \times 21 \times 1 \) were adopted for the interface and the surface calculations. A \( k \) mesh of \( 3 \times 9 \times 1 \) was used for the calculations of the semicoherent
interface. Spin-polarized calculations were carried out for all systems containing Fe atoms.

III. RESULTS AND DISCUSSION

A. Equilibrium surface energy

The calculated surface energies of the equilibrium Fe and Ag surfaces are calculated and summarized in Table I, together with other theoretical and experimental results. The presently calculated surface energies for Ag(001) and Ag(111) surfaces are $\sigma_{Ag}^{001} = 0.81 \text{ J m}^{-2}$ and $\sigma_{Ag}^{111} = 0.68 \text{ J m}^{-2}$, respectively, which agrees well with former pseudopotential (PP) calculations (GGA).\textsuperscript{38,39} GGA leads to smaller surface energy compared to the local density approximation (LDA) and estimated (“experimental”) results.\textsuperscript{38} The calculated surface energies of the Fe(001) and the Fe(110) surfaces are $\sigma_{Fe}^{001} = 2.54 \text{ J m}^{-2}$ and $\sigma_{Fe}^{110} = 2.45 \text{ J m}^{-2}$, respectively, which also agrees with previous calculations.\textsuperscript{44} Note that the experimental surface energies were determined by extrapolating the surface data measured for the liquid phase down to 0 K.\textsuperscript{43}

B. The coherent interfaces

1. The Fe(100)/Ag(100) interface

Relative to the Ag(100) plane, the mismatch $\epsilon$ calculated with the experimental lattice constants ($a_{Ag} = 4.0862 \text{ Å}, a_{Fe} = 2.8665 \text{ Å}$)\textsuperscript{28} is $\sim 0.8\%$ in the [110]$_{Ag}$ direction. The calculated (GGA) lattice constants for Ag and Fe are 4.147 and 2.833 Å, respectively, which yield somewhat larger theoretical lattice mismatch ($\sim 3.4\%$). The effect of a larger mismatch caused by the exchange-correlation functional (GGA) on the work of separation of the Fe(001)/Au(001) interface was investigated by Benoit et al.\textsuperscript{29} They found that this effect causes about 4% error on the work of separation. For the Fe(001)/Ag(001) interface, we expect similar errors.

The calculated work of separation ($W$) and interfacial energy ($\gamma$) with respect to the number of Fe(001) layers ($N$) are presented in Fig. 2. The work of separation and interfacial energy reach convergence at around nine layers of Fe(001), which results in $W \approx 2.30 \text{ J m}^{-2}$ and $\gamma \approx 0.89 \text{ J m}^{-2}$. The surface energy of the Fe(001) surface which is subject to the lateral strain set by the Ag lattice is $\sim 2.38 \text{ J m}^{-2}$, i.e., 6.3% smaller than the value for the equilibrium Fe(001) surface (Table I).

The equilibrium interlayer distance between the Ag(001) layers ($d_{Ag}^{001}$) is 2.07 Å. Because of the Poisson effect, the interlayer distance between the strained bulklike Fe(001) layers ($d_{Fe}^{001}$) is around 1.38 Å, which is $\sim 2.5\%$ smaller than the corresponding equilibrium interlayer distance for bcc Fe ($d_{Fe}^{001} \approx 1.42 \text{ Å}$). At the interface, the distance between Ag and Fe layers (interface separation, $d_{11}^{Fe-Ag}$) is $\sim 1.85 \text{ Å}$, which is $\sim 6\%$ smaller than the averaged interlayer distance [$\langle d_{Ag}^{001} + d_{Fe}^{001} \rangle/2$]. Only the first interlayer distance between Fe layers ($d_{12}^{Fe}$) at the interface is markedly decreased by $\sim 6\%$ compared to $d_{12}^{Fe}$. Starting from the second-nearest layer around the interface, the interface has nearly no effect on the interlayer distance.

The magnetic moment of the Fe atom at the interface is remarkably enhanced ($\sim 2.82 \mu_B$), compared to that of the bulklike Fe atom ($\sim 2.40 \mu_B$). This value is only slightly smaller than the surface magnetic moment 2.99 $\mu_B$ for the laterally strained Fe surface. These findings agree well with the previous calculations.\textsuperscript{45,46} Generally speaking, the Fe atoms at the interface behave in a way similar to the atoms at the surface. The structure and electronic properties of a similar interface Au(001)/Fe(001) was recently investigated by Benoit

![Figure 2](image_url) (Color online) The calculated work of separation ($W$) and interfacial energy ($\gamma$) with respect to the number of Fe(001) layers for the Fe(001)/Ag(001) interface. The lateral lattice constants of the supercell are fixed to those of Ag(001).

<table>
<thead>
<tr>
<th>Surface energy</th>
<th>Present</th>
<th>PP-GGA</th>
<th>PP-LDA</th>
<th>FP-LDA</th>
<th>Estimated</th>
</tr>
</thead>
<tbody>
<tr>
<td>Ag(001)</td>
<td>0.81</td>
<td>0.80$^a$</td>
<td>0.80$^b$</td>
<td>1.35$^a$</td>
<td>1.21$^c$</td>
</tr>
<tr>
<td>Ag(111)</td>
<td>0.68</td>
<td>0.76$^c$</td>
<td>0.58–0.62$^b$</td>
<td>1.13$^a$</td>
<td>1.21$^c$</td>
</tr>
<tr>
<td>Fe(001)</td>
<td>2.54</td>
<td>2.48$^e$</td>
<td>2.50$^b$</td>
<td>–</td>
<td>–</td>
</tr>
<tr>
<td>Fe(110)</td>
<td>2.45</td>
<td>2.42$^b$</td>
<td>–</td>
<td>–</td>
<td>–</td>
</tr>
</tbody>
</table>

$^a$Reference 38.
$^b$Reference 39.
$^c$Reference 40.
$^d$Reference 41.
$^e$Reference 42.
$^f$Reference 43.
$^g$Reference 29.
$^h$Reference 44.

FIG. 2. (Color online) The calculated work of separation ($W$) and interfacial energy ($\gamma$) with respect to the number of Fe(001) layers for the Fe(001)/Ag(001) interface. The lateral lattice constants of the supercell are fixed to those of Ag(001).
et al.\textsuperscript{29} using DFT calculations. For a detailed discussion about the interlayer distance and the magnetic moment, readers are referred to Ref. \textsuperscript{29}.

In order to study the lattice restraining effect on the calculated work of separation, we also calculated the work of separation with a fully relaxed supercell 11-Fe(001)/N-Ag(001) (without a vacuum layer). Note that the fully relaxed results depend on the size of the supercell. The results are shown in Fig. 3. The equilibrium in-plane lattice constant increases from 2.85 to 2.87 \textdegree{} A with increasing the number of Ag layers from 5 to 15, while the change in the work of separation is only about 0.4\%.

2. The Fe(110)/Ag(111) coherent interface

The calculated work of separation and interfacial energy for different stacking sequences with respect to the number of Fe(110) layers ($N$) are shown in Figs. 4 and 5, respectively. We get converged results at about $N = 7$. The corresponding work of separation and interfacial energy for different stacking sequences are $W_{\text{Fe}001} = 2.21$ J m$^{-2}$, $W_{\text{bridge}} = 2.04$ J m$^{-2}$, $W_{\text{top}} = 1.43$ J m$^{-2}$, $\gamma_{\text{fcc}} = 0.36$ J m$^{-2}$, $\gamma_{\text{bridge}} = 0.53$ J m$^{-2}$, and $\gamma_{\text{top}} = 1.13$ J m$^{-2}$, respectively.

To investigate the effect of the lattice relaxation on the work of separation and interfacial energy, we also calculated the work of separation and interfacial energy of the coherent Fe(110)/Ag(111) interface with the in-plane lattice constants fixed to those of Fe(110) (taking Fe(110) as the underlying lattice). These results are listed in Table \textsuperscript{II}, along with those obtained when using Ag(111) as the underlying lattice. Notice that when taking bcc Fe as the underlying lattice, there is one more high-symmetry position which is termed as the bcc site.\textsuperscript{22} Because of the change in the in-plane symmetry, we cannot directly compare two sets of results. However, from Table \textsuperscript{II} we find that the highest $W$ for both cases are very close to each other ($W_{\text{Fe}001} = 2.21$ J m$^{-2}$ for Ag as the underlying lattice versus $W_{\text{Fe}001} = 2.24$ J m$^{-2}$ for Fe as the underlying lattice). The largest deviation is found for the case of the top site, where the difference is still less than 15\%. From these results, we may conclude that the work of separation is not very sensitive to lattice distortion within the presently studied range of distortion. Adham \textsuperscript{et al.}\textsuperscript{15} compared the work of separation of the coherent bcc-Fe(110)/fcc-Ni(111) and fcc-Fe(111)/fcc-Ni(111) interfaces and found that $W$ is almost the same for the two interfaces. The same situation holds for the bcc-Fe(110)/bcc-Cr(110) and fcc-Fe(111)/bcc-Cr(110) interfaces.\textsuperscript{15} The above results imply that the work of separation primarily gives information on the bonding at the interface. For a specific atomic site at a real interface, the local structure may deviate from both bcc or fcc, however, its contribution to the work of separation is expected to be close to the value calculated for a model coherent interface with the same translation state, no matter if taking fcc or bcc as the underlying lattice.

The surface energies of the strained and equilibrium surfaces are also listed in Table \textsuperscript{II}. We see that expanding the Fe lattice to match the Ag lattice decreases the Fe(110) surface energy from 2.45 to 1.88 J m$^{-2}$, whereas compressing the Ag lattice to match Fe decreases the Ag(111) surface energy from 0.68 to 0.51 J m$^{-2}$. The difference in the surface energies of the equilibrium and strained surfaces results in a great difference in the calculated interfacial energies of the interfaces with Fe and Ag treated as substrates according to Eq. (5). For example, the smallest interfacial energy of the interface with Fe as substrate ($\gamma_{\text{fcc}} = 0.72$ J m$^{-2}$) is twice the smallest interfacial energy of the one with Ag as substrate ($\gamma_{\text{fcc}} = 0.36$ J m$^{-2}$). Therefore in this case, the coherent interfacial energy is very sensitive to the
choice of the underlying lattice, unlike in the case of work of separation. We calculate the surface energy of the Fe(110) surface without spin polarization and find that the surface energy only decreases by ~12% from ~2.55 to ~2.24 J m$^{-2}$ during distorting the Fe lattice to match the Ag lattice. We can see that the magnetism does not significantly affect the surface energy of Fe at the equilibrium states (2.45 J m$^{-2}$ for magnetic state versus 2.55 J m$^{-2}$ for nonmagnetic state), which agrees well previous study.44 However, for the strained state, the surface energy of Fe is remarkably decreased by the magnetism from 2.24 (nonmagnetic) to 1.88 J m$^{-2}$ (ferromagnetic). Therefore, both the significant decrease of the Fe(110) surface energy and the sensitivity of the coherent interfacial energy to the underlying lattice originate from the magnetism.

Within a pair interaction model, Borchers and Bormann30 estimated the chemical contribution to the energy of coherent Fe/Ag interfaces to be ~0.88 J m$^{-2}$, which is in line with our results. There is no experimental interfacial energy available for the solid-solid Fe/Ag interface. The interfacial energy of liquid Fe/Ag interface at 1550°C was estimated to be 1.04 J m$^{-2}$.47 Considering the positive temperature dependence of the interfacial energy,48 our results can be considered reasonable. In the literature, there are few data for the fcc/bcc interface. By analyzing the coarsening data with the Lifshitz-Slyozov-Wagner theory, Kita and Monzen49 estimated the interfacial energies of the incoherent α-Fe/Cu and coherent γ-Fe/Cu interfaces to be 0.52 and 0.25 J m$^{-2}$, respectively. First-principles study of the coherent Cu(111)/Ta(110) interface (taking bcc Ta as the substrate) generated the interfacial energies of 0.12 and 0.45 J m$^{-2}$ for the bcc-stacking and fcc-stacking interfaces, respectively.22 Comparing our results to the above data, though they are for different systems, indicates the same order of magnitude.

The work of separation $W_h$ of the most stable Fe(110)/Ag(111) coherent interface (2.21 J m$^{-2}$) is smaller than the one for the most stable Fe(001)/Ag(001) coherent interface (2.30 J m$^{-2}$). This is also the case for the interfacial energy [0.36 J m$^{-2}$ for Fe(110)/Ag(111) and 0.89 J m$^{-2}$ for Fe(001)/Ag(001)]. These results follow the normal expectation, namely that the closed-packed interface should have smaller interfacial energy than the open interfaces.

### C. The semicoherent and incoherent Fe(110)/Ag(111) interfaces

In the following sections we introduce an averaging scheme which may be used to evaluate the work of separation and interfacial energies of the semicoherent/incoherent interface starting from the results obtained for the coherent interfaces. Direct calculations for a semicoherent interface are used to measure the reliability of the averaging scheme. Then the scheme is applied to study the incoherent Fe/Ag interface.

#### 1. The averaging scheme

Based on pure DFT calculations, Benedek et al.5 investigated the MgO/Cu interface using a rather large supercell (399 atoms) to take into account the lattice constant mismatch and atomic relaxation at the interface. They showed that the properties of real equilibrium interfaces (e.g., work of separation) may be reproduced as weighted averages of the properties of coherent interfaces calculated for translation states with high symmetry (top site, fcc site, bridge site, etc.). EAM study also showed that the elastic contribution to the interfacial energy is negligible for large lattice mismatch,8 which justifies the statement by Benedek et al. Hashibon et al.22 studied the abrupt, nonmatching Cu/Ta interface using first-principles calculations. Relative to the equilibrium Ta lattice which was taken as the substrate, the misfit strain of the Cu(111)/Ta(110) interface is 0.23 and 0.05 in the direction of [001]$_{Ta}$ and [110]$_{Ta}$, respectively. They calculated the work of separation and excess interfacial energy of the coherent interfaces with different parallel translation states. By using an energy-weighted averaging method which is essentially similar to the scheme proposed by Benedek et al., they estimated the work of separation and the excess interfacial energy of the commensurate incoherent interface. Their results were shown consistent with the experimental observations. However, the precision of such averaging scheme has not been carefully evaluated.

In the following we first introduce a similar averaging scheme. In principle, starting from the coherent interfacial energies with either Fe or Ag as underlying lattice should yield exactly the same interfacial energy and work of separation for the incoherent interface by using a proper averaging scheme. In the following, for convenience we take Ag as the underlying lattice, unless otherwise stated.

As suggested in Refs. 4,8,22, and 23, the total work of separation of a semicoherent/incoherent interface may be calculated by averaging the contribution from the individual sites,

$$W = W + \delta W,$$

where

$$W = \frac{1}{n} \sum_{i=1}^{n} W_i,$$

with $n$ being the number of Fe atoms at the interface atomic layer and $W_i$ is the strain-free work of separation of site $i$, calculated for the coherent interface with the same stacking sequence as the site $i$ at the semicoherent/incoherent interface.

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**TABLE II. Theoretical work of separation ($W$) and interfacial energy ($\gamma$) for the coherent Fe(110)/Ag(111) interface, taking the Fe(110) or the Ag(111) as the underlying lattice, respectively. Surface energies ($\sigma$) for the equilibrium and strained states are also listed. All energies are expressed in J m$^{-2}$.**

<table>
<thead>
<tr>
<th>Underlying lattice</th>
<th>$W_{sep}$</th>
<th>$W_{fcc}$</th>
<th>$W_{bridge}$</th>
<th>$W_{bcc}$</th>
<th>$\sigma_{Ag}$</th>
<th>$\sigma_{Fe}$</th>
<th>$\gamma_{top}$</th>
<th>$\gamma_{fcc}$</th>
<th>$\gamma_{bridge}$</th>
<th>$\gamma_{bcc}$</th>
</tr>
</thead>
<tbody>
<tr>
<td>Fe(110)</td>
<td>1.64</td>
<td>2.18</td>
<td>2.02</td>
<td>2.24</td>
<td>0.51</td>
<td>2.45</td>
<td>1.32</td>
<td>0.79</td>
<td>0.94</td>
<td>0.72</td>
</tr>
<tr>
<td>Ag(111)</td>
<td>1.43</td>
<td>2.21</td>
<td>2.04</td>
<td>–</td>
<td>0.68</td>
<td>1.88</td>
<td>1.13</td>
<td>0.36</td>
<td>0.53</td>
<td>–</td>
</tr>
</tbody>
</table>
The “small” quantity \( \delta W \) measures the deviation between \( W \) and the real work of separation of the semicoherent/incoherent interface \( W_0 \).

The interfacial energy of the semicoherent/incoherent interface is similarly calculated by averaging over the coherent interfacial energies for interface Fe atoms sitting at different sites at the interface,

\[
\gamma = \overline{\gamma} + \delta \gamma, \tag{8}
\]

where

\[
\overline{\gamma} = \frac{1}{n} \sum_{i=1}^{n} \gamma_i, \tag{9}
\]

with \( \gamma_i \) being the local interfacial energy contribution from Fe atom at site \( i \) at the interface. \( \delta \gamma \) measures the small error between \( \overline{\gamma} \) and \( \gamma \). By definition, \( \overline{W} \) and \( \overline{\gamma} \) are related by

\[
\overline{W} = \sigma'_\text{Ag} + \sigma'_\text{Fe} - \overline{\gamma}, \tag{10}
\]

where \( \sigma'_\text{Ag} \) and \( \sigma'_\text{Fe} \) are the strained surface energies of Ag and Fe. Note that in the present work, the superscript prime symbol (’) indicates that the value is calculated at the strained state.

We define the real incoherent work of separation and interfacial energy so that they should be related by the equilibrium surface energies, viz.

\[
W_\text{incoh} = \sigma_\text{Ag} + \sigma_\text{Fe} - \gamma_\text{incoh}. \tag{11}
\]

Using Eqs. (6)–(11), for the total error we find

\[
\delta W + \delta \gamma = (\sigma_\text{Fe} - \sigma'_\text{Fe}) + (\sigma_\text{Ag} - \sigma'_\text{Ag}). \tag{12}
\]

When the underlying lattice is that of Ag, the second term from the right-hand side in the above equation vanishes and for the total error we get \( 0.57 \text{ J m}^{-2} \). Unfortunately, we cannot separate the magnitudes of \( \delta W \) or \( \delta \gamma \) unless we perform explicit large-size supercell calculations for the incoherent interface.

To calculate \( W \) we need to know \( W_i \) for all the Fe atoms at different sites. For sites with high symmetry, the work of separations are taken directly from the results for the coherent interfaces. However, for sites away from the high-symmetry positions, people use different ways to evaluate the associated work of separation. Benedek et al.\(^4\) simply assigned each atom to one of the high-symmetry types. Hashibon et al.\(^22\) estimated the contribution from an off-symmetry site as a weighted sum of the excess energies of all nearest high symmetry sites with a weight exponentially decaying with the distance from the site. In the present work we explicitly calculated the work of separation for those coherent interfaces with off-symmetry stacking sequences. The work of the separation map for the coherent interface when displacing the bcc Fe part against the fcc Ag part is shown in Fig. 6.

2. The Fe(110)/Ag(111) semicoherent interface

To estimate the errors (\( \delta W \) and \( \delta \gamma \)) associated with the averaging scheme, we perform direct calculations of the work of separation and interfacial energy of a semicoherent interface. Figure 7 shows the model semicoherent Fe(110)/Ag(111) interface with NW orientation. Only the Fe and Ag layers at the interface are shown. Each Fe(110) layer contains 10 Fe atoms, and each (111)Ag layer contains 8 Ag atoms.

\[
\begin{align*}
\text{Ag} & \quad \text{Fe} \\
\text{Ag} & \quad \text{Fe}
\end{align*}
\]

FIG. 6. (Color online) The map of the work of separation obtained by shifting the bcc Fe part above the fcc Ag(111) plane for the 7-Fe(110)/9-Ag(111) interface. The Ag atoms and the high-symmetry positions are marked on the map.

The lattice vectors parallel to the interface are placed to be [1\(\bar{1}\)0]_Ag || [001]_Fe and [112]_Ag || [1\(\bar{1}\)0]_Fe. Laterally, the Fe lattice is distorted to match the Ag lattice. The mismatches along the [001]_Fe and [1\(\bar{1}\)0]_Fe directions are relatively small, \( \sim 3.4\% \) and \( \sim 1.4\% \), respectively. Normal to the interface, all atoms and the lattice constant are relaxed to the equilibrium state. The number of layers are tested and the results show that a 7 \times 7 supercell (126 atoms) is enough to get a converged work of separation with error less than 0.1 J m\(^{-2}\). For this supercell, the work of separation is calculated to be \( W_\text{semico} = 2.05 \text{ J m}^{-2}\).

In the next step we apply the averaging scheme to evaluate the work of separation of the semicoherent interface in Fig. 7. The averaged work of separation obtained according to Eq. (7) is \( \sim 1.91 \text{ J m}^{-2} \), which is \( \sim 7\% \) smaller than the result calculated directly for the relaxed supercell \( \sim 2.05 \text{ J m}^{-2} \) (yielding \( \delta W = 0.14 \text{ J m}^{-2} \)). Note that the semicoherent interface has the same strain along the [001]_Fe direction as the coherent one.

\[
\begin{align*}
\text{Ag} & \quad \text{Fe} \\
\text{Ag} & \quad \text{Fe}
\end{align*}
\]

FIG. 7. (Color online) Schematic of the semicoherent interface. Only the Fe and Ag layers at the interface are shown. The upper panel is the side view and the lower panel the top view of the interface. The positions of Fe atoms at the interface after relaxation are indexed by numbers.
while along the [110]_{Fe} direction, it has a much smaller strain (∼3.4%) than the coherent interface (∼26.8%). Then from the fact that the strain along this direction does not significantly change the local contribution to the total work of separation, we do not expect the strains along other directions to change the chemical bonding very much, either. There are several findings in literature supporting our conclusion. Wang et al.\textsuperscript{50} reported that the work of separation of the Al\textsubscript{2}O\textsubscript{3}/Al interface varies by less than 5% over the entire range extending from compression of Al by 4\% to expansion of Al\textsubscript{2}O\textsubscript{3} by 4\%. For the Si/Cu interface, they also showed that the work of separation calculated for a fully relaxed (1 × 1) supercell (containing 1 atom per layer), where both Cu and Si lattice are highly distorted, is very close to the accurate value calculated by a very large supercell (overestimated by only 3\%).\textsuperscript{51}

The interfacial energy of the semicoherent interface calculated directly from the supercell method gives $\gamma_{\text{semicoh}} = 1.18$ J m\textsuperscript{−2}, which is significantly larger than the value estimated according to Eq. (9) ($\gamma = 0.65$ J m\textsuperscript{−2}), so we get $\delta \gamma = 0.53$ J m\textsuperscript{−2}. The significantly smaller interfacial energy from the averaging scheme is due to the presence of magnetism. Magnetism results in a strong dependence of the surface energy and interfacial energy on the in-plane distortion (see Table II). Taking Fe as the underlying lattice, we could avoid distorting the magnetic Fe and thus expect smaller errors with the averaging scheme from the generally larger coherent interfacial energies. Indeed, when taking Fe as the underlying lattice, the averaging scheme generates $\sim 2.00$ J m\textsuperscript{−2} for the work of separation and $\sim 0.96$ J m\textsuperscript{−2} for the interfacial energy. Both of these figures compare well with the results of the direct supercell calculations which yield $\sim 2.08$ J m\textsuperscript{−2} for the work of separation and $\sim 1.10$ J m\textsuperscript{−2} for the interfacial energy.

3. The Fe(110)/Ag(111) incoherent interface

In the present work the commensurate incoherent interface is generated by putting two equilibrium Fe and Ag crystals together in the NW orientation relationship without straining any of the lattices. On the 2D interface we define the smallest coincidence site lattice (CSL) with a tolerance of misfit strain of 0.001. This 2D repeat cell of the incoherent interface composes of 19 and 29 Fe atoms along the [110]_{Fe} and [001]_{Fe} directions, respectively, matching 15 and 28 Ag atoms along the [112]_{Ag} and [110]_{Ag} directions, respectively. In the CSL cell we find some Fe atoms sitting on the fcc-stacking, bridge-stacking, or top-stacking sites, while others are off from these high-symmetry sites.

For the above commensurate Fe(110)/Ag(111) incoherent interface, the average work of separation calculated according to Eq. (7) is $W \approx 1.86$ J m\textsuperscript{−2}. Then, according to Eq. (9), we get $\gamma = 0.70$ J m\textsuperscript{−2}.

From the results obtained for the semicoherent interface, we could see that both $\delta W$ and $\delta \gamma$ are positive, and $\delta W$ is small and $\delta \gamma$ is large. Therefore, for the incoherent interface when taking Ag as the underlying lattice, we may expect that $\delta \gamma$ is positive and large, which means that $\gamma$ cannot be considered as a good estimation for the incoherent interfacial energy. However, as shown above for the semicoherent interface, $W$ may be close to the real incoherent work of separation. We may hence assume that $W \approx W_{\text{incoh}}$, and then evaluate the incoherent interfacial energy according to Eq. (11) obtaining $\gamma_{\text{incoh}} = 1.27$ J m\textsuperscript{−2}.

In this case we actually assumed that $\delta W$ is zero and the total error ($\sigma_{\text{Fe}} - \sigma_{\text{Ag}}$) is imposed on $\gamma$.

As shown in the case of semicoherent interface, the significantly smaller $\gamma$ is due to the presence of magnetism. If we take Fe as the underlying lattice and take the corresponding coherent interfacial energies, the resulting total error by the averaging scheme according to Eq. (12), $\delta W + \delta \gamma = \sigma_{\text{Ag}} - \sigma_{\text{Fe}}' = 0.17$ J m\textsuperscript{−2} is much smaller than the one obtained when using Ag as underlying lattice. In this case, considering that both $\delta W$ and $\delta \gamma$ are positive and they share the total error of $0.17$ J m\textsuperscript{−2}, we may conclude that both $W \approx 1.97$ J m\textsuperscript{−2} and $\gamma \approx 0.99$ J m\textsuperscript{−2} can be considered to be close to the real $W_{\text{incoh}}$ and $\gamma_{\text{incoh}}$.

The resulting work of separation may be considered as the lower bound of the work of separation for the more realistic semicoherent Fe/Ag interface, because such a commensurate interface is not energetically favorable, and upon relaxation it is expected to transfer into a semicoherent interface with periodic coherent areas separated by misfit dislocation arrays. Relaxation decreases the total energy of semicoherent interface ($E_{\text{Fe}/Ag}$) and results in a higher work of separation according to Eq. (2). Correspondingly, the commensurate incoherent interfacial energy may be considered as the upper bound of the interfacial energy for a realistic semicoherent interface.

D. Interface structure and magnetism

The interlayer distances at the interface region of the coherent interfaces with different translation states (fcc site, bridge site, and top site) and of the semicoherent interface (see Fig. 7) are shown in Fig. 8(a), taking Ag as the underlying lattice. Note that for the semicoherent interface, the atoms in one layer do not sit exactly in one plane. Therefore, the layer position is calculated by averaging all the atomic positions in that layer and the interlayer distances are calculated according to the averaged layer positions. In Fig. 8 we observe that for the coherent interface with the top-stacking sequence leads to the largest interface separation ($d_{\text{Fe}/Ag}^{1}$). The top site is the least favored position for the Fe atom, which results in a large separation between Fe and Ag layers. For both the bridge-stacking and fcc-stacking sequences, the Fe/Ag interface distance sits in between those of the bulklike Fe and bulklike Ag. For the semicoherent interface, the average interlayer distance behaves in a similar way as for the coherent interface and the interface separation is intermediate between the largest and the smallest interface separations for the coherent interfaces with different translation states. The interlayer distance for the coherent interfaces with Fe as the underlying lattice is shown in Fig. 8(b). For both cases we find that larger interlayer distance at interface ($d_{\text{Fe}/Ag}^{1}$) corresponds to smaller work of separation, and vice versa.

The magnetic moments of Fe atoms near the interface region of the coherent and semicoherent interfaces are shown in Fig. 9. Solid symbols represent the results when taking Ag as the underlying lattice and the open symbols when taking Fe as the underlying lattice. Magnetic moments of Fe atoms at the interface for both coherent and semicoherent interfaces are strongly enhanced, due to the weak interaction between Fe and Ag.\textsuperscript{35} When taking Ag as the underlying lattice, the
semicoherent interface has lower magnetic moments for all Fe layers than the coherent interfaces, because the Fe lattice in semicoherent interface is much less distorted. On the other hand, when taking Fe as the underlying lattice, the interface atom still has a larger magnetic moment compared to the bulk atoms, but they are much smaller than the magnetic moments of the Fe atoms in the distorted Fe lattice. The magnitudes of the magnetic moments for different translation states correlate very well with atomic volume of the Fe atom at interface, namely, larger atomic volume at interface corresponds to larger magnetic moment. For example, when taking Ag as the underlying lattice, the interlayer distance has the sequence \( d^{\text{Fe,Ag}}_{11\text{ (top site)}} > d^{\text{Fe,Ag}}_{11\text{ (bridge site)}} > d^{\text{Fe,Ag}}_{11\text{ (fcc site)}} \) [Fig. 8(a)], which means that atomic volume of Fe at the interface \( (v_{\text{Fe}}) \) has the same sequence. Therefore, the magnetic moment of interface Fe atom is in the same sequence \( \mu_{\text{Fe (top site)}} > \mu_{\text{Fe (bridge site)}} > \mu_{\text{Fe (fcc site)}} \). The same rule applies for the case of taking Fe as the underlying lattice.

\[
\text{FIG. 8. (Color online) The interlayer distance for the coherent interfaces with different translation states at the interface taking Ag as the underlying lattice (a) and Fe as underlying lattice (b). The interlayer distance for the semicoherent interface is also shown in (a). Notice that the averaged atomic position in one layer was used as the position of the layer in the semicoherent interface.}
\]

In the case of semicoherent interface, we also monitor the distance \( (d^*) \) between each Fe atom within the layer at the interface relative to the averaged position of the conjugated Ag layer at the interface, shown in Fig. 10. The corresponding magnetic moment and atomic volume of Fe atoms at the interface are shown in Fig. 11. In Fig. 10 we can see that along the \([110]_\text{Fe}\) direction \( d^* \) is wavelike, which means that the Fe plane at the interface has actually a wavelike atomic surface. The layer puckering was also found at the MgO/Cu interface.\(^4\) The explicit positions of the Fe atoms after relaxation are shown in Fig. 7. We can see that the Fe atom sitting at/near the top site (fourth Fe) has a large \( d^* \) and the Fe atom sitting at/near the fcc site (first Fe) has small \( d^* \). Other Fe atoms sitting at neither of those high-symmetry sites have intermediate \( d^* \) values. From this point of view, we may justify the assumption that the semicoherent interface is composed of the locally coherent interfaces with different translation states. In Fig. 11 the magnetic moment of Fe atom at interface also shows a wavelike behavior. The magnitude of the magnetic moment correlates well with the atomic volume, similar to the coherent interfaces. Therefore, there is a spin wave coupled with the
Wigner-Seitz volume (left axis) for the Fe atoms at the semicoherent interface.52,53 The actual interface structure is highly deviating from the Kurdyumov-Sachs (KS) or NW orientation. The coherent fcc/bcc interface has various orientation relationships, upper (upper and lower) bounds for the real semicoherent interface represent the lower and upper bounds for the interfacial energy (work of separation) of the coherent interface and estimate the parameters are very important especially when studying the Fe/Ag multilayer or the Fe/Ag core/shell nanoparticles. For the coherent Fe(001)/Ag(001) interface with taking Ag as the underlying lattice, W and γ are calculated to be 2.30 and 0.89 J m⁻², respectively. For the coherent Fe(110)/Ag(111) interface, taking Ag or Fe as the underlying lattice, the largest W and smallest γ are calculated to be 2.21 and 0.36 J m⁻² or 2.24 and 0.79 J m⁻², respectively. The significant difference in the interfacial energy when using different underlying lattices is due to the magnetism. We propose an averaging scheme to estimate the work of separation and interfacial energy for the semicoherent/commensurate incoherent interface. We justify the use of the averaging scheme by performing large supercell calculations for a semicoherent interface. We have shown that taking either Fe or Ag as the underlying lattice, the averaging scheme can yield a reasonable estimation of the work of separation of the semicoherent interface. However, when taking Ag as the underlying lattice the averaged interfacial energy of the semicoherent interface is significantly underestimated due to the magnetism. When taking Ag (Fe) as the underlying lattice, applying the averaging scheme we get 1.86 (1.96) J m⁻² for the work of separation and 1.27 (0.99) J m⁻² for the interfacial energy of the incoherent interface. We study the crystal and magnetic structures at the coherent and semicoherent interfaces and show that at a real semicoherent interface the atomic plane is wavelike and there is spin wave coupled with the interface Fe layer.

IV. CONCLUSION

Experimental observations have shown that the real semicoherent fcc/bcc interface has various orientation relationships deviating from the Kurdyumov-Sachs (KS) or NW orientation relationships.52,53 The actual interface structure is highly dependent on the characteristics of the misfit dislocation arrays. Experimentally, it is very difficult to describe accurately the atomistic structure of the fcc/bcc interface even with today’s powerful high-resolution transmission electron microscopy. Without knowing the exact structure of the interface, to accurately determine the interfacial energy theoretically is almost impossible. Actually, the core structure of dislocation and its energy have been a mystery for many years. When misfit dislocations are close, their cores interfere with each other, and then the main contribution to interfacial energy would come from the dislocation core energies which cannot be determined by ab initio calculations at present. However, in the present work, we show that by performing ab initio calculations we can accurately determine the interfacial energy and work of separation of the coherent interface and estimate these energetic parameters for the commensurate incoherent interface. The interfacial energies (work of separation) of the coherent and the incoherent interfaces represent the lower and upper (upper and lower) bounds for the real semicoherent interfaces. By establishing these bounds, we can reasonably assess the contribution to the interfacial energy or work of separation from the misfit dislocations.

Explicitly, we have calculated the work of separation and interfacial energy of the coherent Fe/Ag interfaces. These parameters are very important especially when studying the Fe/Ag multilayer or the Fe/Ag core/shell nanoparticles. For the coherent Fe(001)/Ag(001) interface with taking Ag as the underlying lattice, W and γ are calculated to be 2.30 and 0.89 J m⁻², respectively. For the coherent Fe(110)/Ag(111) interface, taking Ag or Fe as the underlying lattice, the largest W and smallest γ are calculated to be 2.21 and 0.36 J m⁻² or 2.24 and 0.79 J m⁻², respectively. The significant difference in the interfacial energy when using different underlying lattices is due to the magnetism. We propose an averaging scheme to estimate the work of separation and interfacial energy for the semicoherent/commensurate incoherent interface. We justify the use of the averaging scheme by performing large supercell calculations for a semicoherent interface. We have shown that taking either Fe or Ag as the underlying lattice, the averaging scheme can yield a reasonable estimation of the work of separation of the semicoherent interface. However, when taking Ag as the underlying lattice the averaged interfacial energy of the semicoherent interface is significantly underestimated due to the magnetism. When taking Ag (Fe) as the underlying lattice, applying the averaging scheme we get 1.86 (1.96) J m⁻² for the work of separation and 1.27 (0.99) J m⁻² for the interfacial energy of the incoherent interface. We study the crystal and magnetic structures at the coherent and semicoherent interfaces and show that at a real semicoherent interface the atomic plane is wavelike and there is spin wave coupled with the interface Fe layer.

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FIG. 11. (Color online) The magnetic moment (right axis) and Wigner-Seitz volume (left axis) for the Fe atoms at the semicoherent interface. Such complex magnetic behavior near the interface makes any attempt to model the puckering Fe layer at the interface. Such complex magnetic behavior near the interface makes any attempt to model the puckering Fe layer at the interface. Explicitly, we have calculated the work of separation and interfacial energy of the coherent Fe/Ag interfaces. These parameters are very important especially when studying the Fe/Ag multilayer or the Fe/Ag core/shell nanoparticles. For the coherent Fe(001)/Ag(001) interface with taking Ag as the underlying lattice, W and γ are calculated to be 2.30 and 0.89 J m⁻², respectively. For the coherent Fe(110)/Ag(111) interface, taking Ag or Fe as the underlying lattice, the largest W and smallest γ are calculated to be 2.21 and 0.36 J m⁻² or 2.24 and 0.79 J m⁻², respectively. The significant difference in the interfacial energy when using different underlying lattices is due to the magnetism. We propose an averaging scheme to estimate the work of separation and interfacial energy for the semicoherent/commensurate incoherent interface. We justify the use of the averaging scheme by performing large supercell calculations for a semicoherent interface. We have shown that taking either Fe or Ag as the underlying lattice, the averaging scheme can yield a reasonable estimation of the work of separation of the semicoherent interface. However, when taking Ag as the underlying lattice the averaged interfacial energy of the semicoherent interface is significantly underestimated due to the magnetism. When taking Ag (Fe) as the underlying lattice, applying the averaging scheme we get 1.86 (1.96) J m⁻² for the work of separation and 1.27 (0.99) J m⁻² for the interfacial energy of the incoherent interface. We study the crystal and magnetic structures at the coherent and semicoherent interfaces and show that at a real semicoherent interface the atomic plane is wavelike and there is spin wave coupled with the interface Fe layer.

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